

### Introduction

I wanted to know if playing the game 2048 and using 10 swipes versus 15 swipes would significantly change my average score. In order to do this, I collected data by playing 2048 a total of 40 times using 10 swipes then 40 times using 15 swipes. I recorded the final score each time. I then put my data into RStudio Cloud and took a simple random sample of size 20 from the scores I collected (pictured below). In order to find if there is a significant difference in the average score when using 10 swipes or 15 swipes, I ran a 2 Sample T-test. I chose a 2 Sample T-test over a matched pairs T-test because my two populations are not connected by a before-and-after type of variable. Instead, they are two completely independent populations. For instance, this would have been a matched pairs t-test problem if I recorded scores for 10 swipes and then continued the same game until I got to 15 swipes and recorded the score again. Then, the data would have a before-and-after effect. With keeping this in mind, I defined my parameters as  $\mu_1$  representing the mean score after 10 swipes and  $\mu_2$  as the mean score after 15 swipes.

x10 = c(28, 24, 48, 36, 44, 28, 20, 28, 32, 48, 52, 48, 52, 32, 48, 48, 52, 28, 24, 48, 32, 48, 28, 56, 24, 52, 28, 28, 32, 28, 48, 28, 48, 32, 56, 48, 36, 32, 28, 32)  
 x15 = c(56, 68, 64, 64, 68, 68, 76, 64, 72, 72, 68, 64, 68, 64, 60, 68, 64, 68, 72, 72, 68, 76, 60, 72, 72, 64, 64, 68, 68, 76, 68, 68, 64, 72, 76, 76, 68, 60, 72, 68)

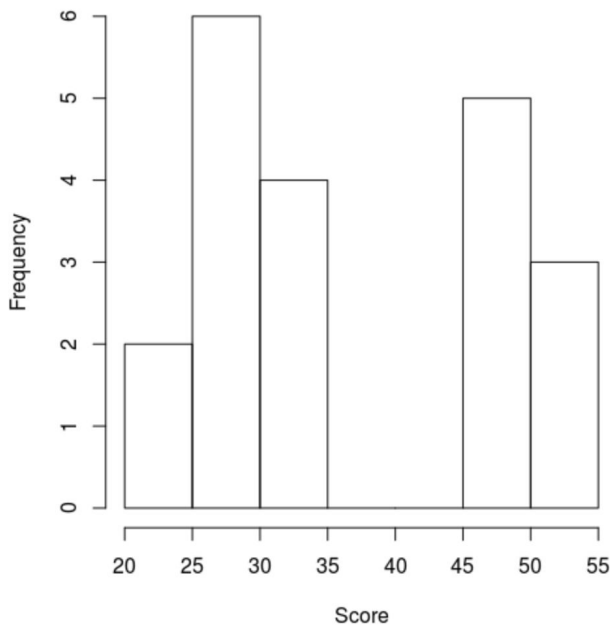
swipes	score	swipes	score	swipes	score	swipes	score
10	32	10	48	15	68	15	72
10	32	10	28	15	60	15	76
10	48	10	52	15	56	15	72
10	32	10	48	15	68	15	72
10	28	10	32	15	64	15	72
10	28	10	24	15	68	15	68
10	52	10	28	15	72	15	72
10	24	10	52	15	68	15	64
10	28	10	48	15	64	15	76
10	48	10	28	15	68	15	76

### Analysis

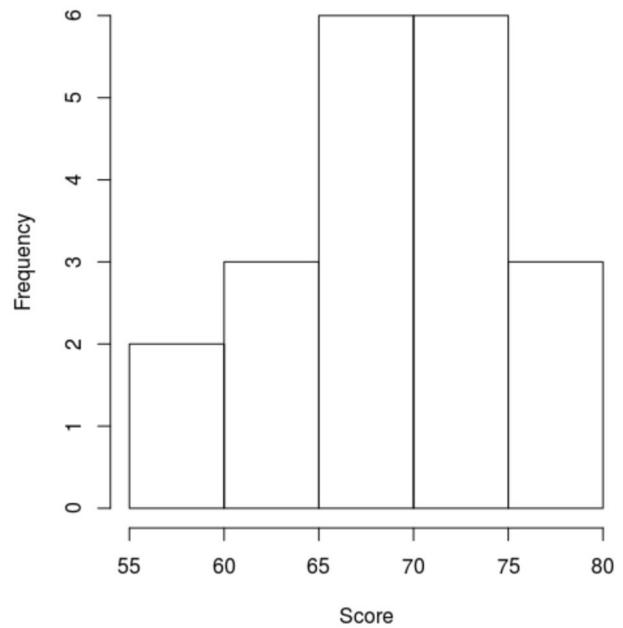
As previously stated, I completed a 2 Sample T-test, but I needed to check the conditions before continuing. First, I know that my samples are Simple Random Samples (SRSs), or close to it, because I collected the data myself and used RStudio to randomly extract 20 scores from each sample of 40 scores. The sample sizes ( $n_1$  and  $n_2$ ) are an okay size because n must be

greater than or equal to ( $\geq$ ) 20 to complete a 2 Sample T-test. Although the sample size is good, I also checked the boxplot graph and histograms for outliers or strong skew (as pictured below). As you can see, the histogram titled “2048 Game Scores With 10 Swipes” shows a major gap between scores of 35 and 45; obviously this data is not close to being normally distributed. In the histogram “2048 Game Score With 15 Swipes”, you can see that most of the data is in the middle and there is not a strong skew; it closely resembles data that is normally distributed. However, in the box plot “2048 Game Scores With 10 and 15 Swipes”, there is an outlier for the sample scores with 15 swipes. Meaning, neither of these samples are the most ideal to use for a 2 Sample T-test so I kept this in mind as I proceeded. If I wanted to create better conditions for this test, I would collect more data to create a more accurate or better representative SRS.

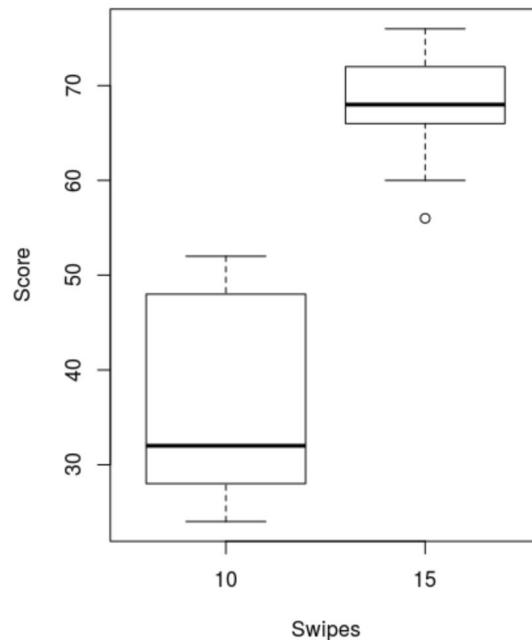
**2048 Game Scores With 10 Swipes**



**2048 Game Scores With 15 Swipes**



**2048 Game Scores With 10 and 15 Swipes**



After creating the box plot, “2048 Scores With 10 and 15 Swipes”, I noticed a major difference in the median of my SRSs. This indicates to me that the results of the test may show there is a significant difference in the average score when using 10 and 15 swipes.

Once I had checked the conditions, I defined my hypotheses based on the investigative question: Is there a significant difference in the average score of a 2048 game when using 10 and 15 swipes? The null hypothesis is that the average score with 10 swipes and the average score with 15 swipes are the same ( $H_0: \mu_1 = \mu_2$ ) and the alternative hypothesis is that the average score with 10 swipes and the average score with 15 swipes are not the same ( $H_a: \mu_1 \neq \mu_2$ ). In other words, my alternative hypothesis is representing my investigative question by stating there is a difference between average scores.

Using RStudio Cloud once again, I completed my 2 Sample T-test. I found that my t-statistic is -11.853 and my p-value is 2.474e-14. I also found the five number summary (minimum, first quartile or Q1, median, third quartile or Q3, and maximum), mean ( $\bar{x}$ ), and standard deviation (s) of my SRSs which can be found in the table below.

Swipes	Minimum	Q1	Median	Q3	Maximum	$\bar{x}$	s
10	24	28	32	48	52	37	10.770330
15	56	67	68	72	76	68.8	5.287523

### Conclusion

With my p-value of 2.474e-14 being less than ( $<$ ) my alpha ( $\alpha$ ) of .05, I reject the null hypothesis ( $H_0: \mu_1 = \mu_2$ ). Meaning, I have strong evidence that there is a significant difference in the average score of a 2048 game when using 10 and 15 swipes. My conclusion also agrees with my initial thoughts after seeing the box plot “2048 Game Score With 10 and 15 Swipes”. If I were to take this problem further, I might test to see if using 15 swipes results in a higher average score than when using 10 swipes.